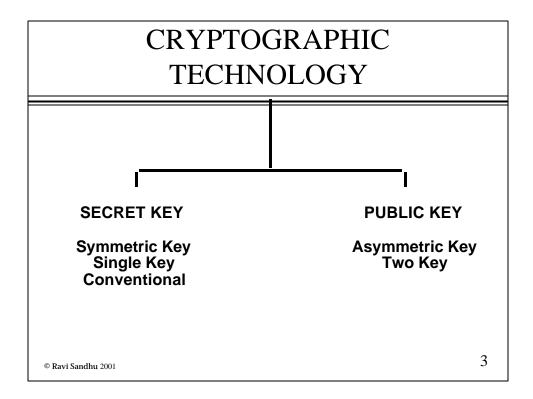
#### INFS 766 Internet Security Protocols

## <u>Lectures 3 and 4</u> Cryptography in network protocols

Prof. Ravi Sandhu

**CRYPTOGRAPHY** 



# CRYPTOGRAPHIC TECHNOLOGY

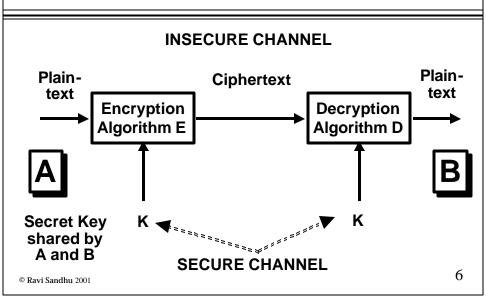
- Secret-key encryption
- Public-key encryption
- Public-key digital signatures
- Public-key key agreement
- Message digests
- Message authentication codes
- Challenge-response authentication
- Public-key certificates

# CRYPTOGRAPHIC SERVICES

- \* confidentiality
  - > traffic flow confidentiality
- \* integrity
- \* authentication
- \* non-repudiation

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## SECRET KEY CRYPTOSYSTEM



## SECRET KEY CRYPTOSYSTEM

- confidentiality depends only on secrecy of the key
  - > size of key is critical
- \* secret key systems do not scale well
  - with N parties we need to generate and distribute N\*(N-1)/2 keys
- \* A and B can be people or computers

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# MASTER KEYS AND SESSION KEYS

- long-term or master keys
  - > prolonged use increases exposure
- \* session keys
  - > short-term keys communicated by means of
    - long-term secret keys
    - public key technology

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#### **CRYPTANALYSIS**

- \* ciphertext only
  - > cryptanalyst only knows ciphertext
- \* known plaintext
  - cryptanalyst knows some plaintextciphertext pairs
- \* chosen plaintext
- \* chosen ciphertext

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## KNOWN PLAINTEXT ATTACK

- \* 40 bit key requires 2<sup>39</sup> \* 5 \* 10<sup>11</sup> trials on average (exportable from USA)
- \* trials/second time required

1	20,000 years
10 <sup>3</sup>	20 years
10 <sup>6</sup>	6 days
10 <sup>9</sup>	9 minutes
1012	0.5 seconds

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## KNOWN PLAINTEXT ATTACK

- ❖ 56 bit key requires 2<sup>55</sup> » 3.6 \* 10<sup>^16</sup> trials on average (DES)
- \* trials/second time required

1	10 <sup>9</sup> years
10 <sup>3</sup>	10 <sup>6</sup> years
<b>10</b> <sup>6</sup>	10 <sup>3</sup> years
10 <sup>9</sup>	1 year
10 <sup>12</sup>	10 hours

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## KNOWN PLAINTEXT ATTACK

- ♦ 80 bit key requires 2<sup>79</sup> » 6 \* 10<sup>23</sup> trials on average (SKIPJACK)
- \* trials/second time required

1	10 <sup>16</sup> years
10 <sup>3</sup>	10 <sup>13</sup> years
<b>10</b> <sup>6</sup>	10 <sup>10</sup> years
10 <sup>9</sup>	10 <sup>7</sup> years
1012	104 years

## KNOWN PLAINTEXT ATTACK

- \* 128 bit key requires 2<sup>127</sup> \* 2 \* 10<sup>38</sup> trials on average (IDEA)
- \* trials/second time required

1	10 <sup>30</sup> years
10 <sup>3</sup>	10 <sup>27</sup> years
10 <sup>6</sup>	10 <sup>24</sup> years
10 <sup>9</sup>	10 <sup>21</sup> years
1012	10 <sup>18</sup> vears

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#### **DICTIONARY ATTACKS**

- if keys are poorly chosen known plaintext attacks can be very simple
- \* often the user's password is the key
  - in a dictionary attack the cryptanalyst tries passwords from a dictionary, rather than all possible keys
  - > for a 20,000 word dictionary, 1 trial/second will crack a poor password in less than 3 hours

### CURRENT GENERATION SECRET KEY CRYPTOSYSTEMS

#### \* 64 bit data block size

> DES: 56 bit key

> Triple DES: 112 bit key> Triple DES: 168 bit key> Skipjack: 80 bit key

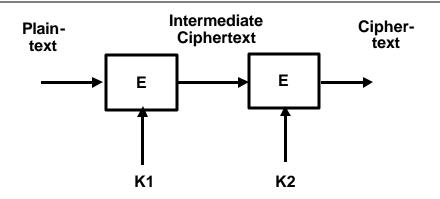
> IDEA: 128 bit key

> RC2: variable size key: 1 byte to 128 bytes

> many others

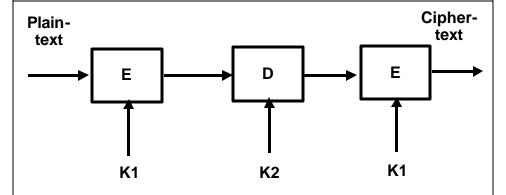
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#### **DOUBLE DES**



effective key size is only 57 bits due to meetin-the-middle attack

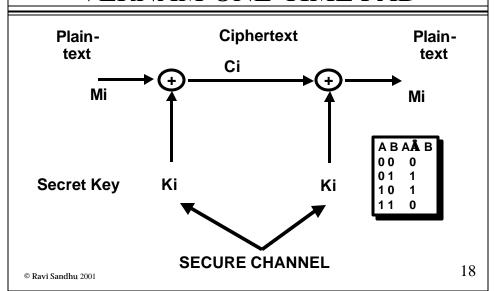
#### TRIPLE DES



effective key size is 112 bits due to meet-inthe-middle attack

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## PERFECT SECRECY VERNAM ONE-TIME PAD



## PERFECT SECRECY VERNAM ONE-TIME PAD

- \* known plaintext reveals the portion of the key that has been used, but does not reveal anything about the future bits of the key
- \* has been used
- \* can be approximated

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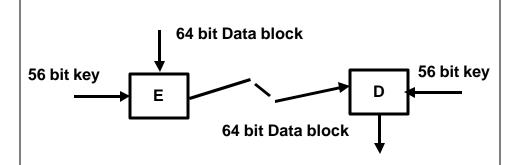
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# ADVANCED ENCRYPTION STANDARD

- New Advanced Encryption Standard under development by NIST
  - must support key-block combinations of 128-128, 192-128, 256-128
  - > may support other combinations
- selection of Rijndaehl algorithm announced in 2000
- \* will be in place in a couple of years

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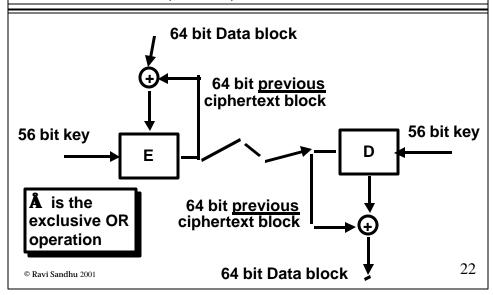
# ELECTRONIC CODE BOOK (ECB) MODE



- \* OK for small messages
- \* identical data blocks will be identically encrypted

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# CIPHER BLOCK CHAINING (CBC) MODE

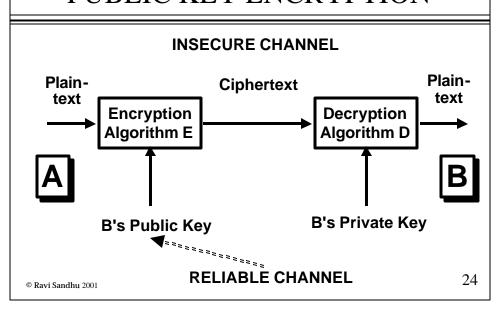


# CIPHER BLOCK CHAINING (CBC) MODE

- Needs an Initialization Vector (IV) to serve as the first feedback block
- Value of the secret of the
- Integrity of the IV is important, otherwise first data block can be arbitrarily changed.
- IV should be changed from message to message, or first block of every message should be distinct

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#### PUBLIC KEY ENCRYPTION



#### PUBLIC KEY CRYPTOSYSTEM

- solves the key distribution problem provided there is a reliable channel for communication of public keys
- requires reliable dissemination of 1 public key/party
- \* scales well for large-scale systems

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#### PUBLIC KEY ENCRYPTION

- confidentiality based on infeasibility of computing B's private key from B's public key
- key sizes are large (512 bits and above) to make this computation infeasible

## SPEED OF PUBLIC KEY VERSUS SECRET KEY

- \* Public key runs at kilobits/second
  - > think modem connection
- Secret key runs at megabits/second and even gigabits/second
  - > think LAN or disk connection
- This large difference in speed is likely to remain independent of technology advances

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#### **RSA**

- \* public key is (n,e)
- \* private key is d
- decrypt: M = C<sup>d</sup> mod n

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#### GENERATION OF RSA KEYS

- choose 2 large (100 digit) prime numbers p and q
- compute n = p \* q
- \* pick e relatively prime to (p-1)\*(q-1)
- \* compute d, e\*d = 1 mod (p-1)\*(q-1)
- \* publish (n,e)
- \* keep d secret (and discard p, q)

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#### PROTECTION OF RSA KEYS

- $\star$  compute d, e\*d = 1 mod (p-1)\*(q-1)
  - if factorization of n into p\*q is known, this is easy to do
- security of RSA is no better than the difficulty of factoring n into p, q

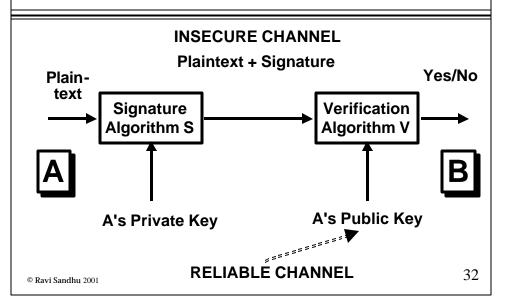
#### RSA KEY SIZE

\* key size of RSA is selected by the user

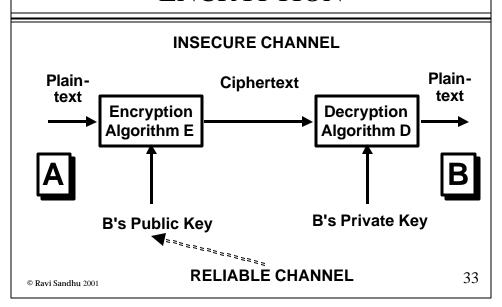
casual 384 bits"commercial" 512 bits"military" 1024 bits

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#### **DIGITAL SIGNATURES**



## COMPARE PUBLIC KEY ENCRYPTION



#### DIGITAL SIGNATURES IN RSA

- RSA has a unique property, not shared by other public key systems
- \* Encryption and decryption commute
  - $> (M^e \mod n)^d \mod n = M$  encryption
  - > (Md mod n)e mod n = M signature
- Same public key can be use for encryption and signature

#### EL GAMAL AND VARIANTS

- \* encryption only
- \* signature only
  - > 1000's of variants
  - > including NIST's DSA

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## NIST DIGITAL SIGNATURE STANDARD

- System-wide constants
  - > p 512-1024 bit prime
  - > q 160 bit prime divisor of p-1
  - > g  $g = h^{((p-1)/q)} \mod p, 1 < h < p-1$
- EI-Gamal variant
  - > separate algorithms for digital signature and public-key encryption

## NIST DIGITAL SIGNATURE STANDARD

- \* to sign message m: private key x
  - > choose random r
  - > compute v = (gr mod p) mod q
  - > compute s = (m+xv)/k mod q
  - > signature is (s,v,m)
- \* to verify signature: public key y
  - > compute u1 = m/s mod q
  - > compute u2 = v/s mod q
  - > verify that  $v = (g^{u1}*y^{u2} \mod p) \mod q$

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## NIST DIGITAL SIGNATURE STANDARD

- signature does not repeat, since r
   will be different on each occasion
- \* if same random number r is used for two messages, the system is broken
- \* message expands by a factor of 2
- RSA signatures do repeat, and there is no message expansion

## DIFFIE-HELLMAN KEY ESTABLISHMENT



y<sub>A</sub>=a<sup>x</sup>A mod p public key y<sub>B</sub>=a<sup>x<sub>B</sub></sup> mod p public key



private key x<sub>A</sub>

private key x<sub>B</sub>

 $k = y_B^{x_A} \mod p = y_A^{x_B} \mod p = a^{x_A*x_B} \mod p$ system constants: p: prime number, a: integer

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## DIFFIE-HELLMAN KEY ESTABLISHMENT

 security depends on difficulty of computing x given y=a<sup>x</sup> mod p
 called the discrete logarithm problem

# MAN IN THE MIDDLE ATTACK







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# CURRENT GENERATION PUBLIC KEY SYSTEMS

- RSA (Rivest, Shamir and Adelman)
  - > the only one to provide digital signature and encryption using the same public-private key pair
  - > security based on factoring
- ElGamal Encryption
  - > public-key encryption only
  - > security based on digital logarithm
- \* DSA signatures
  - > public-key signature only
  - > one of many variants of ElGamal signature
  - > security based on digital logarithm

# CURRENT GENERATION PUBLIC KEY SYSTEMS

- DH (Diffie-Hellman)
  - > secret key agreement only
  - > security based on digital logarithm
- ECC (Elliptic curve cryptography)
  - > security based on digital logarithm in elliptic curve field
  - > uses analogs of
    - · ElGamal encryption
    - · DH key agreement
    - · DSA digital signature

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# ELLIPTIC CURVE CRYPTOGRAPHY

- mathematics is more complicated than RSA or Diffie-Hellman
- elliptic curves have been studied for over one hundred years
- computation is done in a group defined by an elliptic curve

# ELLIPTIC CURVE CRYPTOGRAPHY

- \* 160 bit ECC public key is claimed to be as secure as 1024 bit RSA or Diffie-Hellman key
- good for small hardware implementations such as smart cards

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# ELLIPTIC CURVE CRYPTOGRAPHY

- ECDSA: Elliptic Curve digital signature algorithm based on NIST Digital Signature Standard
- ECSVA: Elliptic Curve key agreement algorithm based on Diffie-Hellman

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## **PKCS STANDARDS**

 de facto standards initiated by RSA Data Inc.

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# original message no practical limit to size message digest algorithm message digest 128 bit/160 bit hard 48

#### **MESSAGE DIGEST**

- \* for performance reasons
  - > sign the message digest
  - > not the message
- \* one way function
  - > m=H(M) is easy to compute
  - > M=H<sup>-1</sup>(m) is hard to compute

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#### **DESIRED CHARACTERISTICS**

- \* weak hash function
  - > difficult to find M' such that H(M')=H(M)
- given M, m=H(M) try messages at random to find M' with H(M')=m
  - > 2k trials on average, k=64 to be safe

#### **DESIRED CHARACTERISTICS**

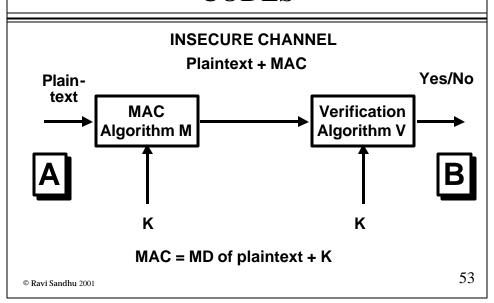
- \* strong hash function
  - > difficult to find any two M and M' such that H(M')=H(M)
- \* try pairs of messages at random to find M and M' such that H(M')=H(M)
  - > 2k/2 trials on average, k=128 to be safe
  - > k=160 is better

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# CURRENTT GENERATION MESSAGE DIGEST ALGORITHMS

- \* MD5 (Message Digest 5)
  - > 128 bit message digest
  - > falling out of favor
- SHA (Secure Hash Algorithm)
  - > 160 bit message digest
  - > slightly slower than MD5 but more secure

# MESSAGE AUTHENTICATION CODES



# CURRENT GENERATION MAC ALGORITHMS

- ❖ HMAC-MD5, HMAC-SHA
  - > IETF standard
  - y general technique for constructing a MAC from a message digest algorithm
- Older MACs are based on secret key encryption algorithms (notably DES) and are still in use
  - DES based MACs are 64 bit and not considered strong anymore

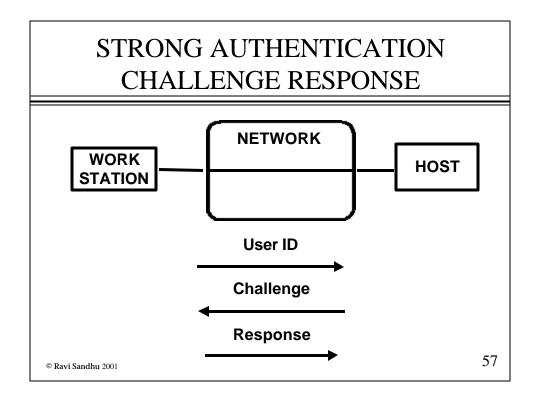
#### **HMAC**

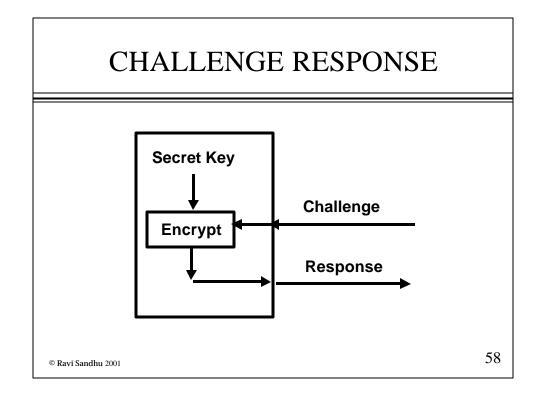
- \* HMAC computation
- $\star$  HMAC<sub>K</sub>(M) = h(KÅ opad || h(KÅ ipad || M))
  - > h is any message digest function
  - > M message
  - > K secret key
  - > opad, ipad: fixed outer and inner padding
- ❖ HMAC-MD5, HMAC-SHA

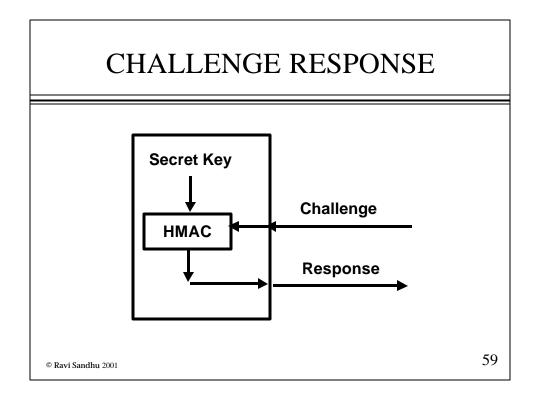
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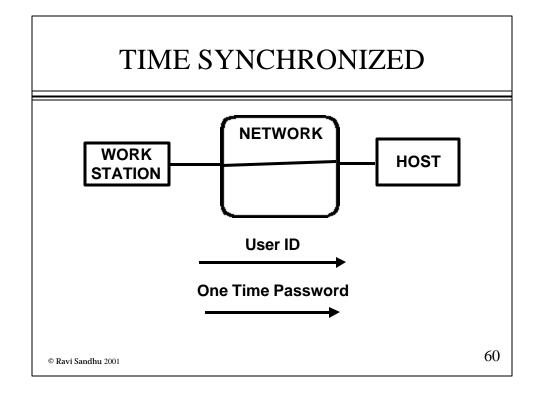
#### SAFE CRYPTOGRAPHY

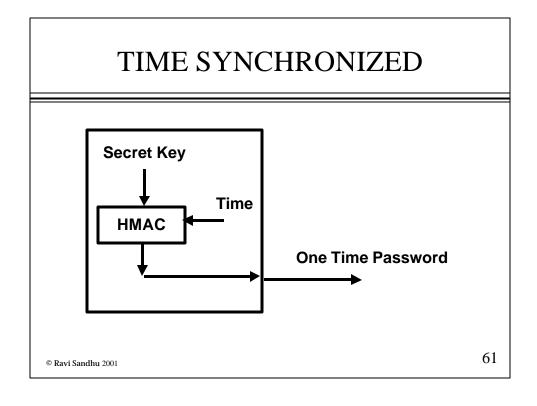
- Secret-key encryption
  - > 128 bit or higher
- \* Public-key
  - > 1024 bit or higher
- \* Message digests
  - > 160 bit or higher
- A large portion of what is deployed is much weaker

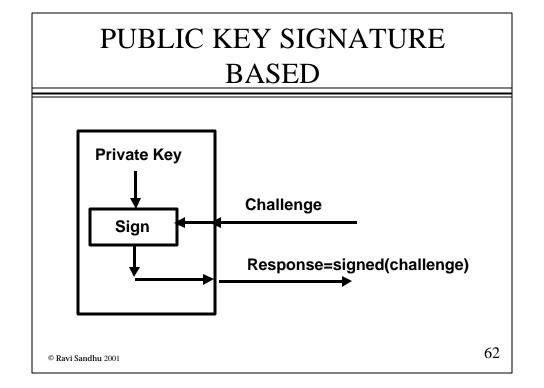




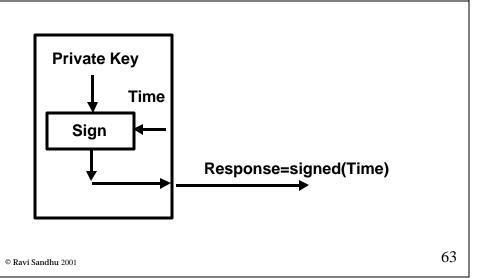




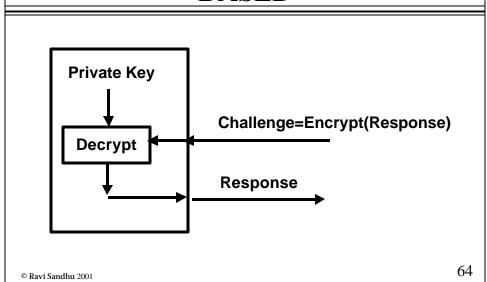




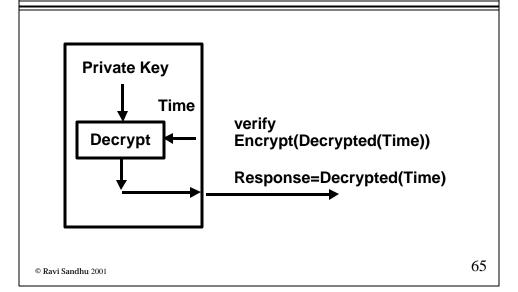
# PUBLIC KEY SIGNATURE BASED



# PUBLIC KEY ENCRYPTION BASED



# PUBLIC KEY ENCRYPT BASED



# PUBLIC-KEY INFRASTRUCTURE

#### **PUBLIC-KEY CERTIFICATES**

- \* reliable distribution of public-keys
- public-key encryption
  - > sender needs public key of receiver
- \* public-key digital signatures
  - > receiver needs public key of sender
- \* public-key key agreement
  - > both need each other's public keys

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## X.509 CERTIFICATE

VERSION
SERIAL NUMBER
SIGNATURE ALGORITHM
ISSUER
VALIDITY
SUBJECT
SUBJECT PUBLIC KEY INFO
SIGNATURE

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#### X.509 CERTIFICATE

1

1234567891011121314

RSA+MD5, 512

C=US, S=VA, O=GMU, OU=ISSE

9/9/99-1/1/1

C=US, S=VA, O=GMU, OU=ISSE, CN=Ravi Sandhu

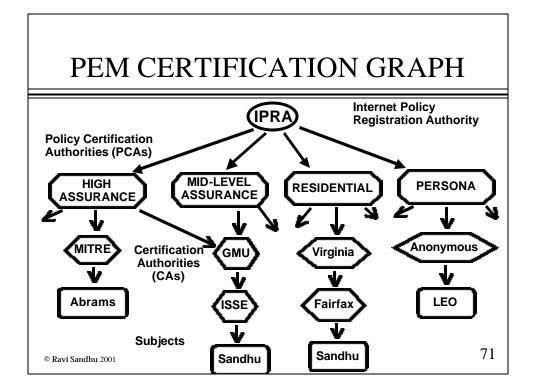
**SIGNATURE** 

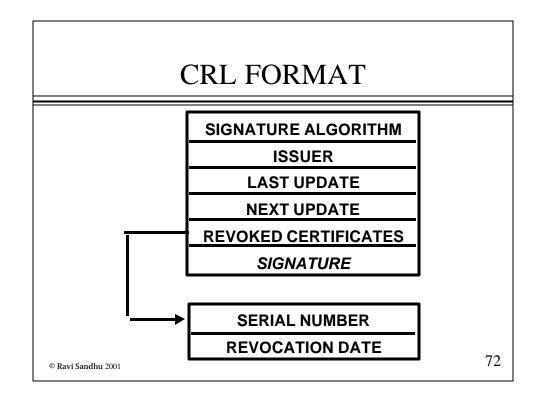
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#### **CERTIFICATE TRUST**

- \* how to acquire public key of the issuer to verify signature
- whether or not to trust certificates
   signed by the issuer for this subject





#### X.509 CERTIFICATES

- \* X.509v1
  - > very basic
- \* X.509v2
  - > adds unique identifiers to prevent against reuse of X.500 names
- \* X.509v3
  - > adds many extensions
  - > can be further extended

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## X.509v3 CERTIFICATE **INNOVATIONS**

- distinguish various certificates
  - > signature, encryption, key-agreement
- identification info in addition to X.500 name
  - > internet names: email addresses, host names, URLs
- issuer can state policy and usage
  - > good enough for casual email but not for signing checks
- limits on use of signature keys for further certification
- \* extensible
  - > proprietary extensions can be defined and registered
- \* attribute certificates
  - > ongoing work

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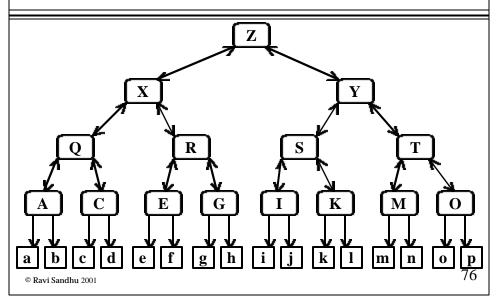
## X.509v2 CRL INNOVATIONS

- **\* CRL distribution points**
- \* indirect CRLs
- \* delta CRLs
- \* revocation reason
- \* push CRLs

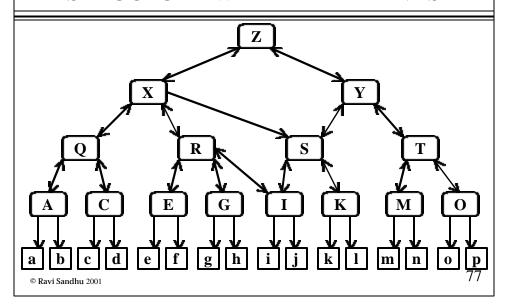
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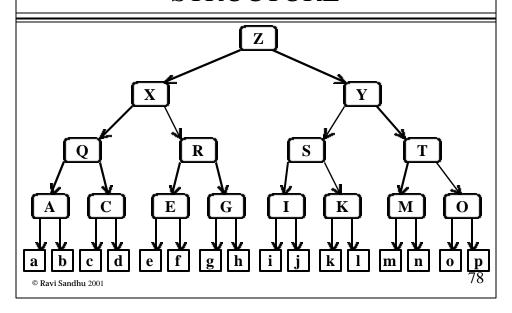
# GENERAL HIERARCHICAL STRUCTURE



#### GENERAL HIERARCHICAL STRUCTURE WITH ADDED LINKS



# TOP-DOWN HIERARCHICAL STRUCTURE



# FOREST OF HIERARCHIES O Ravi Sandhu 2001